

**DePAUL UNIVERSITY
COLLEGE OF COMPUTING AND DIGITAL MEDIA**

CSC400 – 201/210 Discrete Structures for Computer Science

SYLLABUS

Quarter: Summer 2022 -2023

Class time: M/W 5:45 – 9:00

Location: CDM Center 222 /OL

Instructor: Vladimir Lepetic

Office: LC

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Office Hours: T 11:30 – 12:30, Zoom by appointment; W 4:30 – 5:30, CDM Center 222, by appointment.

TEXT: Lipschutz, S., Lipson, M., *Schaum's Outline of Discrete Mathematics, Fourth Edition (Schaum's Outlines)*

In case you have not been previously exposed to any advanced/discrete mathematics I **strongly suggest** you consult the following:

Epp, S., *Discrete Mathematics with Applications*, 5th ed. Brooks/Cole Publishing,

Note 1: There is a 4th edition of Epp's *Discrete Mathematics with Applications*. If you can get the 4th, less expensive edition, you will be perfectly fine.

Note 2: There is also a third edition of *Schaum's Outline* which is equally fine for this course.

Additional sources where you can find good exposition of the material discussed in this class:

Goldrei, D., *Classic Set Theory*, Chapman and Hall/CRC, 1996.

Goldrei, D., *Propositional and Predicate Calculus: A Model of Argument*, Springer, 2005

Epp, S., *Discrete Mathematics, An Introduction to Mathematical Reasoning*, Brooks/Cole, 2011.

Rosen, K., *Discrete Mathematics and Its Applications*, McGraw-Hill, 2018.

Lepetic, V., *Principles of Mathematics: A Primer*, Wiley, 2016

Johnsonbaugh, R., *Discrete Mathematics*, Pearson, 2017.

Chartrand, G., Ping, Z., *Discrete Mathematics*, Waveland Pr. Inc., 2017.

COURSE DESCRIPTION:

CSC400 is intended to provide a solid foundation for further study of mathematics and computer science.

The course introduces the basic principles of logical reasoning and abstract mathematics and shows how to apply them to explore, formulate and establish truth and falsity for elementary statements in mathematics and computer science. In addition, it extends the development of reasoning skills needed for studies of a variety of the mathematical structures that are needed for advanced mathematics and computer science.

The topics covered include: logic and set theory, relations, functions, graphs, and counting and probability.

CONTENTS

O Introduction (EPP: Ch.1.1 – 1.2)

- 0.1** Motivation and General Idea
- 0.2** What is Proof.
- 0.3** Speaking Mathematically
- 0.4** The Language of Sets/The Language of Logic

I Set Theory (EPP: Ch.6.1 -6.2; SCHAUM: Ch.1.1 – 1.8, Ch.2.1 – 2.2, Ch.3.7)

- 1.1** Set Theory: Definitions and the Element Method of Proof
- 1.2** Properties of Sets
- 1.3** Disproofs, Algebraic Proofs, and Boolean Algebras (*)
- 1.4** Russell's Paradox and the Halting Problem
- 1.5** Exercises/Homework/Discussion (Epp: 6.1 – 6.3; Schaum; 1.1 – 1.24)

II The Logic of Compound Statements (EPP Ch. 2.1 – 2.4; SCHAUM: Ch.4.1 – 4.8)

- 2.1** Logical Form and Logical Equivalence
- 2.2** Conditional Statements
- 2.3** Valid and Invalid Arguments
- 2.4** Application: Digital Circuits
- 2.5** Exercises/Homework/Discussion (Epp: Set 2.1 -2.2; Schaum: 4.1 – 4.9)

III The Logic of Quantified Statements (EPP: Ch. 3.1 – 3.4; SCHAUM: Ch. 4.9 – 4.11)

- 3.1 Predicates and Quantified Statements I
- 3.2 Predicates and Quantified Statements II
- 3.3 Statements with Multiple Quantifiers
- 3.4 Arguments with Quantified Statements
- 3.5 Exercises/Homework/Discussion (Epp: Set 3.1 – 3.3; Schaum: 4.1 – 4.9)

IV Elementary Number Theory and Methods of Proof (EPP Ch. 4.1 – 4.7) (*)

- 4.1 Direct Proof and Counter Example I – IV
- 4.2 Indirect Argument: Two Classical Theorems
- 4.3 Exercises/Homework/Discussion (Epp: Set 4.1 – 4.3; Schaum: 11.1 – 11.3)

V Sequences, Mathematical Induction and Recursion (EPP: Ch. 5.1 – 5.) (*)

- 5.1 Sequences
- 5.2 Mathematical Induction I – II
- 5.3 Strong Mathematical Induction
- 5.4 Defining Sequences Recursively
- 5.5 Exercises/Homework/Discussion (Epp: Set 5.1 – 5.3; 11.1 – 11.3)

VI Functions (EPP: Ch. 7.1 – 7.4; SCHAUM: Ch. 3.1 -3.8)

- 6.1 Functions Defined on General Sets
- 6.2 One-to-One and Onto, Inverse Functions
- 6.3 Composition of Functions
- 6.4 Cardinality with Applications to Computability (*)
- 6.5 Exercises/Homework/Discussion (Epp: Set 7.1 – 7.3; 3.1 -3.7)

VII Counting and Probability (EPP: Ch. 9.1 – 9.7; SCHAUM: Ch.6.1 – 6.6, Ch.7.1 - 7.5)

- 7.1 Introduction
- 7.2 Possibility Trees and the Multiplication Rule
- 7.3 Counting Elements of Disjoint Sets: The addition Rule
- 7.4 The Pigeonhole Principle
- 7.5 Counting Subsets of a Set: Combinations
- 7.6 r-Combinations with Repetition
- 7.7 Pascal's Formula and Binomial Theorem
- 7.8 Exercises/Homework/Discussion (Epp: Set 9.1 – 9.3; Schaum: 5.1 – 5.6)

VIII Graphs and Trees (EPP: Ch. 10.1 – 10.3; SCHAUM: Ch. 8.1 – 8.5, Ch.9.1 – 9.3, Appendix A.3 – A.10)

8.1 Graphs: Definitions and Basic Properties

8.2 Trails, Paths and Circuits

8.3 Matrix Representation of Graphs

8.4 Exercises/Homework/Discussion (Set 10.1 -10.3; Schaum 8.1 -8.3, 9.5 -9.9)

(*) Optional and/or time permitting

In addition to listed homework (with solutions), four sets of “Self-Tests” will be given and will be **discussed in class, upon request**, a week after assignment during regular problem sessions. However, **students are strongly urged to attempt problems by themselves and ask about or discuss (in class or in private) those they couldn’t do**. Performance on self-test problems should be a reliable indication of your command of the subject.

This is a fast-paced course that requires you to set aside adequate time for practice. **It is highly recommended** that you practice three or more times per week. Doing well in this course usually requires at least **6-10** hours per week of practice, depending on your current skill level. If you start to fall behind, for whatever reason, you should contact me as soon as possible to determine what can be done to rectify matters. Usually, something can be done to help you if you give me enough advance notice.

EXAMS

There will be two in class time exams – a mid-term and the final – and one take-home exam. The grade will be calculated as follows: mid-term: 35%, “take-home”: 15%, and final 50%. **Because of the unique nature of the subject, in order to get full credit for exam problems, students have to show ALL WORK IN DETAIL!** Make-up exams **will not be given.**

Schedule of Exams:

MIDTERM: June 28, 5:30 – 9:00 pm, CST.

Midterm exam will be accessible on D2L on June 28, at 5:30 pm and solutions have to be uploaded to **D2L Submissions folder on June 28, no later than 9:00 pm. No late submissions will be accepted.**

TAKEHOME: July 12, 9:00 pm – July 15, 5:00 pm

Take-home exam will be accessible on D2L on July 12, at 9:00 pm and solutions have to be uploaded to **D2L Submissions folder no later than July 15 at 5:00 pm, CST. No late submissions will be accepted.**

FINAL: July 15, 5:30 – 9:00 pm, CST.

Final exam will be accessible on D2L on July 15, at 5:30 pm and solutions have to be uploaded to **D2L Submission folder on July 15, no later than 9:00 pm, CST. No late submissions will be accepted.**

NOTE: Since CSC400 is a graduate class, I assume that all students will adhere to the University's Academic Integrity Policy. Thus, no exam will be proctored, i.e., all exams will be of the **"take-home type"**. The only thing I require is that all exams are submitted in the allotted time

Grade scale: 90-100% (A), 90-80% (B), 70-80% (C), 60-70% (D), below 60% (F)

Course Policies**Changes to Syllabus**

This syllabus is subject to change as necessary during the quarter. If a change occurs, it will be thoroughly addressed during class, posted under Announcements in D2L and sent via email.

Online Course Evaluations

Evaluations are a way for students to provide valuable feedback regarding their instructor and the course. Detailed feedback will enable the instructor to continuously tailor teaching methods and course content to meet the learning goals of the course and the academic needs of the students. They are a requirement of the course and are key to continue to provide you with the highest quality of teaching. The evaluations are anonymous; the instructor and administration do not track who entered what responses. A program is used to check if the student completed the evaluations, but the evaluation is completely separate from the student's identity. Since 100% participation is our goal, students are sent periodic reminders over three weeks. Students do not receive reminders once they complete the evaluation. Please see <https://resources.depaul.edu/teaching-commons/teaching/Pages/online-teaching-evaluations.aspx> for additional information.

Academic Integrity and Plagiarism

This course will be subject to the university's academic integrity policy.

All students are expected to abide by the University's Academic Integrity Policy, which prohibits cheating and other misconduct in student coursework. Publicly sharing or posting online any prior or current materials from this course (including exam questions or answers) is considered to be providing unauthorized assistance prohibited by the policy. Both students who share/post and students who access or use such materials are considered to be cheating under the Policy and will be subject to sanctions for violations of Academic Integrity.

In addition, violations of academic integrity include but are not limited to the following categories: cheating; plagiarism; fabrication; falsification or sabotage of research data; destruction or misuse of the university's academic resources; alteration or falsification of academic records; and academic misconduct. Conduct that is punishable under the Academic Integrity Policy could result in additional disciplinary actions by other university officials and possible civil or criminal prosecution. More information can be found at <https://offices.depaul.edu/oaa/faculty-resources/teaching/academic-integrity/Pages/default.aspx>.

Academic Policies

All students are required to manage their class schedules each term in accordance with the deadlines for enrolling and withdrawing as indicated in the University Academic Calendar. Information on enrollment, withdrawal, grading and incompletes can be found at: <http://www.cdm.depaul.edu/Current%20Students/Pages/PoliciesandProcedures.aspx>

Incomplete Grades

An incomplete grade is a special, temporary grade that may be assigned by an instructor when unforeseeable circumstances prevent a student from completing course requirements by the end of the term and when otherwise the student had a record of satisfactory progress in the course. All incomplete requests must be approved by the instructor of the course and a CDM Associate Dean. Only exceptions cases will receive such approval. Information about the Incomplete Grades policy can be found at <http://www.cdm.depaul.edu/Current%20Students/Pages/Grading-Policies.aspx>

Students with Disabilities

DePaul University is committed to ensuring equal access to its educational and extracurricular opportunities for students with disabilities. The Center for Students with Disabilities (CSD) offers reasonable academic accommodations and services to support our students. We also serve as a resource to the many university departments that have a responsibility to accommodate students.

Please see <https://offices.depaul.edu/student-affairs/about/departments/Pages/csd.aspx> for Services and Contact Information.

